## 2-7 Probability of Compound Events

## Haven't we seen this before?

32 Brianna is using the two spinners shown below to play her new board game. She spins the arrow on each spinner once. Brianna uses the first spinner to determine how many spaces to move. She uses the second spinner to determine whether her move from the first spinner will be forward or backward.


Find the probability that Brianna will move fewer than four spaces and backward.

| Types of Probability Statements | How many Actions? | Rule to Use |
| :---: | :--- | :--- |
| OR |  |  |
| AND/THEN |  |  |

## Picking Tokens Out of a Bag

A bag contains 2 red tokens, 1 blue token and 2 green tokens. You draw one of the tokens out of the bag, replace the token in the bag, and then draw another token.

Find $\mathrm{P}($ red token and then blue token ) with replacement

This time, you draw one of the tokens out of the bag, but DO NOT replace the token in the bag, and then draw another token.

Find $P($ red token and then blue token $)$ without replacement

Let's change the numbers up and look at some more probabilities!!
A bag contains 4 red tokens, 3 blue tokens and 2 green tokens. You draw two tokens at random. Find each probability...

| 1. $P($ Red, then Blue) with replacement | 2. P(Blue, then Blue) without replacement |
| :--- | :--- |
| 3. $P$ (Green, then Red) with replacement | 4. P(Green, then Red) without replacement |
| 5. $P($ Blue, then Blue, then Red) with replacement | 6. P(Blue, then Orange) without replacement |

## Some more examples

7. The following cards are shuffled and placed face down on a table.


Find the $\mathrm{P}(\mathrm{R}$ and then N$)$ with replacement

Find the $\mathrm{P}(\mathrm{A}$ and then M$)$ without replacement
8. Suppose a teacher must select 2 students to represent their school at a meeting. The teacher randomly picks names from a hat that contains the names of 3 freshman, 2 sophomores, 4 juniors, and 4 seniors. Find P( a sophomore, then a freshman )
$\qquad$

1. Suppose you have a dark closet containing seven blue shirts, five yellow shirts, and eight white shirts. You pick two shirts at random from the closet. Find each probability.
a. P (blue then yellow) with replacing
b. P (blue then yellow) without replacing
c. P(yellow then yellow) with replacing
d. P (yellow then yellow) without replacing

f. P(yellow then white) without replacing

2. Suppose you draw two tennis balls at random from a bag containing seven pink, four white, three yellow, and two striped balls. Find each probability.
a. $\mathrm{P}($ yellow then pink) with replacing
b. P (yellow then pink) without replacing
c. $\mathrm{P}($ pink then pink) with replacing
d. $\mathrm{P}($ pink then pink) without replacing
e. P (striped then striped) with replacing
f. P(striped then striped) without replacing
